MIT

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Machine Learning from Weak, Noisy, and Biased Supervision

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About Myself

Masashi Sugiyama:

- Director: RIKEN AIP, Japan
- Professor: University of Tokyo, Japan
- Consultant: several local startups

Interests: Machine learning (ML)

- ML theory & algorithm \rightarrow
- ML applications (signal, image, language, brain, robot, mobility, advertisement, biology, medicine, education...)

Academic activities:

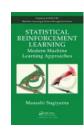
- Program Chairs for NeurIPS2015, AISTATS2019, ACML2010/2020...
- Keynote speaker at ICLR2023.



Sugiyama & Kawanabe, Machine Learning in Non-Stationary Environments, MIT Press, 2012

Sugiyama, Suzuki & Kanamori, Density Ratio Estimation in Machine Learning, Cambridge University Press, 2012

Sugiyama, Statistical Reinforcement Learning, Chapman and Hall/CRC, 2015



ENSITY RATIC

N MACHINI LEARNING

Sugiyama, Introduction to Statistical Machine Learning, Morgan Kaufmann, 2015

STATISTICAL MACHINE LEARNING

Nakajima, Watanabe & Sugiyama, Variational Bayesian Learning Theory, Cambridge University Press, 2019

Sugiyama, Bao, Ishida,

Machine Learning from

Lu, Sakai & Niu.

Weak Supervision, MIT Press. 2022. HACHINE LEARNING MARKINE JOINSAN MARKINE JOINSAN MARKINE LEARNING MARKINE LEARNING MARKINE JOINSAN MARKINE JOI

What is "RIKEN"?

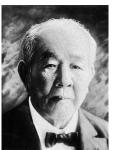
Name in Japanese:



- Pronounced as: rikagaku kenkyusho
- Meaning: Physics and Chemistry Research Institute

Acronym in Japanese: 理研 (RIKEN)

Brief History

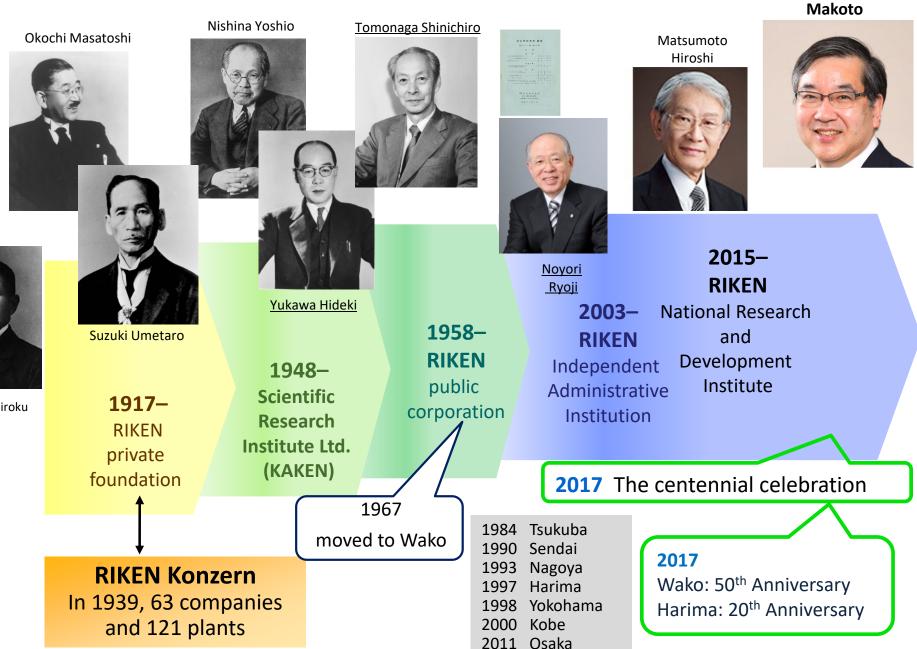




Kikuchi Dairoku



Takamine Jokichi

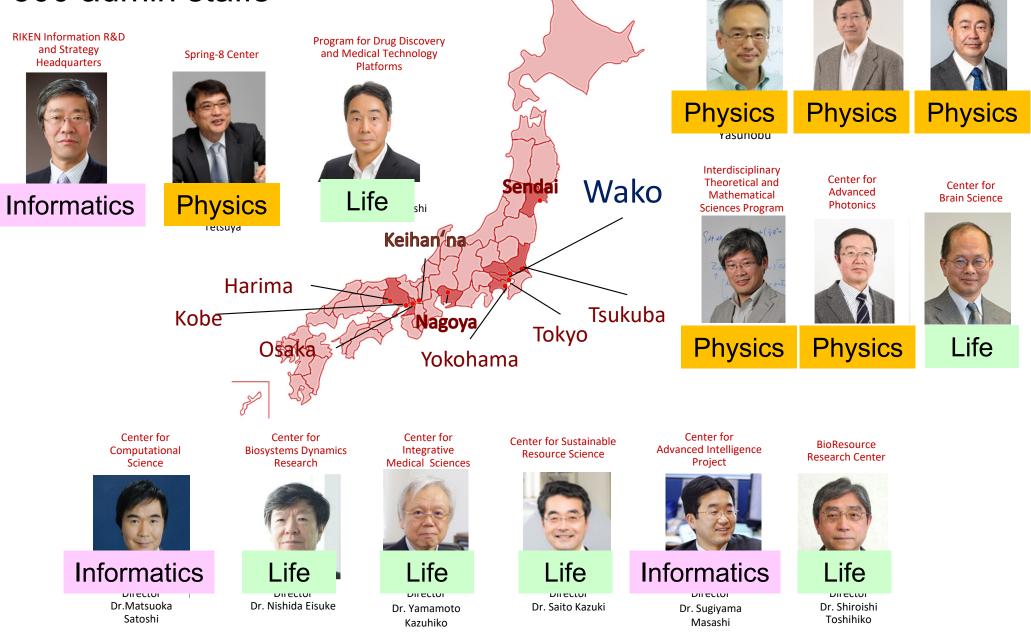


2016 Keihanna

Gonokami

Office and Research

2900 researchers 500 admin staffs



Nishina Center for

Accelerator-Based

Science

Center for Emergent

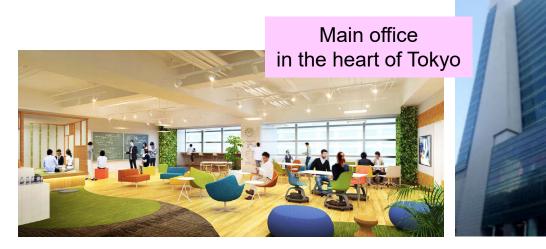
Matter Science

Center for

Quantum Computing

What is **RIKEN-AIP**?

- RIKEN founded Center for Advanced Intelligence Project (AIP) in 2016, under Ministry of Education, Culture, Sports, Science and Technology (MEXT):
 - 130 employed researchers (40% international, 25% female)
 - 250 visiting researchers
 - 130 domestic students
 - 140 international interns (total)
 - 40+ international collaboration partners
 - 40+ industry projects





NCF AND TECHNOLOGY-JAPA

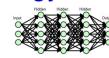
Selected Research of RIKEN-AIP

Developing New AI Technology

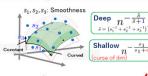
- Theory of deep learning:
- Better prediction than shallow learning
- No curse of dimensionality
- Global optimization
- Developing new methods:
- Weakly supervised learning
- Noise robust learning
- Causal inference

Weakly Supervised Classification

Noise Transition Correction Noise transition matrix T: $T^{-}_{0} = 1000$ • Clean-to-noisy flipping probability. Major approaches: "Second Second Seco



 $\mathbb{E}[\|f_T - f^*\|_{L_2}^2] \le \epsilon_M + O(T^{-\frac{2r\beta}{2r\beta+1}})$





to estimate the entire structure in the presence of hidden cause: • Speech separation technique is employed to separate hidden cause.

Solving Socially Critical Problems

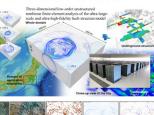
Natural disaster:

- Fugaku-based earthquake simulation
- Remote sensing disaster analysis
- Elderly healthcare:
- Chat-robot-guided
 cognitive function improvement

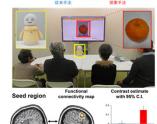
Education:

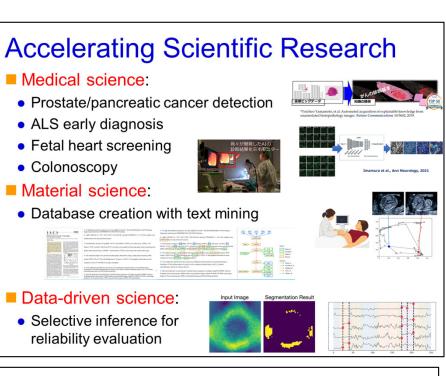
- Automatic essay evaluation
- Interactive essay writing support

 Marking characterization
 Markin



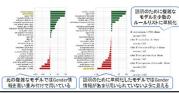
地形データ 水土砂沢宮領板





Studying AI-ELSI

- Al Ethical guidelines:
- Japanese Society for AI, Ministry of Internal Affairs and Communications, Cabinet Office
- IEEE, G20, OECD
- Personal data management:
- Individual-based accessibility control system
- Al security and reliability:
- Adversarial attack/defense
- Fairness faking/guarantee



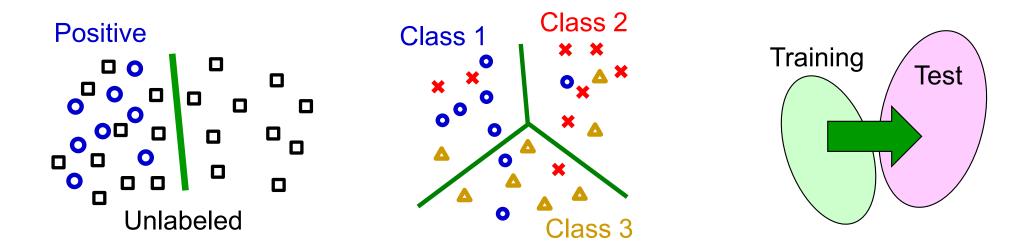






Reliable Machine Learning

- Reliability of machine learning systems can be degraded by various factors:
 - Insufficient information: weak supervision.
 - Label noise: human error, sensor error.
 - Data bias: changing environments, privacy.
- Improving the reliability is an urgent challenge!



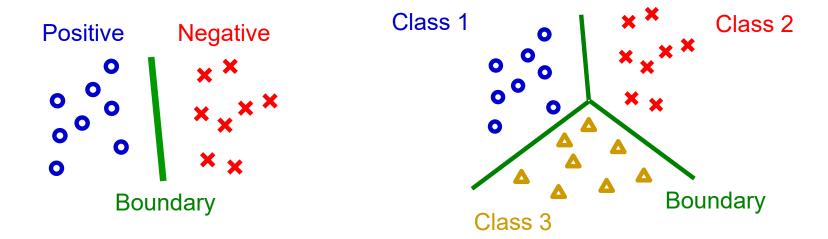


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- 1. Weakly Supervised Learning
- 2. Noisy-Label Learning
- 3. Transfer Learning
- 4. Towards More Reliable Learning

Weakly Supervised Classification ¹⁰

Supervised classification from big labeled data is successful: speech, image, language, ...



- However, there are many applications where big labeled data is not available:
 - Medicine, disaster, robot, brain, ...
- We want to utilize "weak" supervision that can be collected easily!

Positive-Unlabeled (PU) Classification 11 Li+ (IJCAI2003) Given: PU samples (no N samples). $\{\boldsymbol{x}_{i}^{\mathrm{P}}\}_{i=1}^{n_{\mathrm{P}}} \stackrel{\text{i.i.d.}}{\sim} p(\boldsymbol{x}|y=+1) \quad \{\boldsymbol{x}_{j}^{\mathrm{U}}\}_{j=1}^{n_{\mathrm{U}}} \stackrel{\text{i.i.d.}}{\sim} p(\boldsymbol{x})$ Goal: Obtain a classifier minimizing the PN risk. $\min_{f} R(f) \quad R(f) = \mathbb{E}_{p(\boldsymbol{x}, y)} \left[\ell \left(y, f(\boldsymbol{x}) \right) \right]$ \mathbb{E} : expectation ℓ : loss $y = \{+1, -1\}$ Positive [Negative] **Example:** Ad click prediction • Clicked ad: User likes it \rightarrow P Unclicked ad: User dislikes it or User likes it but doesn't have Unlabeled (mixture of time to click it \rightarrow U (=P or N) positives and negatives)

PU Unbiased Risk Estimation ¹²

du Plessis+ (NeurIPS2014, ICML2015)

Decompose the risk:

$$R(f) = \pi \mathbb{E}_{p(\boldsymbol{x}|\boldsymbol{y}=+1)} \left[\ell \left(+1, f(\boldsymbol{x}) \right) \right] + (1-\pi) \mathbb{E}_{\boldsymbol{p}(\boldsymbol{x}|\boldsymbol{y}=-1)} \left[\ell \left(-1, f(\boldsymbol{x}) \right) \right]$$

Risk for P data
Risk for N data $R^{-}(f)$

Without N data, $R^{-}(f)$ can not be estimated directly:

• Eliminate the expectation over N data as

$$R^{-}(f) = \mathbb{E}_{\boldsymbol{p}(\boldsymbol{x})} \left[\ell \left(-1, f(\boldsymbol{x}) \right) \right] - \pi \mathbb{E}_{\boldsymbol{p}(\boldsymbol{x}|\boldsymbol{y}=+1)} \left[\ell \left(-1, f(\boldsymbol{x}) \right) \right]$$
$$p(\boldsymbol{x}) = \pi p(\boldsymbol{x}|\boldsymbol{y}=+1) + (1-\pi)p(\boldsymbol{x}|\boldsymbol{y}=-1)$$

Unbiased risk estimator:

$$\widehat{R}_{\rm PU}(f) = \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(+1, f(\boldsymbol{x}_i^{\rm P})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big(-1, f(\boldsymbol{x}_j^{\rm U})\Big) - \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(-1, f(\boldsymbol{x}_i^{\rm P})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big(-1, f(\boldsymbol{x}_j^{\rm U})\Big) - \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(-1, f(\boldsymbol{x}_i^{\rm P})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big(-1, f(\boldsymbol{x}_j^{\rm U})\Big) - \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(-1, f(\boldsymbol{x}_i^{\rm P})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big(-1, f(\boldsymbol{x}_j^{\rm U})\Big) - \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(-1, f(\boldsymbol{x}_i^{\rm P})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big(-1, f(\boldsymbol{x}_j^{\rm U})\Big) + \frac{1}{n_{\rm U}} \sum_{j=1}^{n_{\rm U}} \ell\Big)$$

Non-Negative Risk Correction ¹³

 $\operatorname{Kiryo+}\left(\operatorname{NeurIPS2017}\right), \operatorname{Lu+}\left(\operatorname{AISTATS2020}\right) = \pi \mathbb{E}_{p(\boldsymbol{x}|\boldsymbol{y}=+1)}\left[\ell\left(+1, f(\boldsymbol{x})\right)\right] + (1-\pi)\mathbb{E}_{p(\boldsymbol{x}|\boldsymbol{y}=-1)}\left[\ell\left(-1, f(\boldsymbol{x})\right)\right]$

Risk for N data
$$R^-(f)$$

Risk for N data: $R^{-}(f) = \mathbb{E}_{p(\boldsymbol{x})} \left[\ell \left(-1, f(\boldsymbol{x}) \right) \right] - \pi \mathbb{E}_{p(\boldsymbol{x}|\boldsymbol{y}=+1)} \left[\ell \left(-1, f(\boldsymbol{x}) \right) \right]$

Empirical estimate: $\widehat{R}_{PU}^{-}(f) = \frac{1}{n_U} \sum_{i=1}^{n_U} \ell\left(-1, f(\boldsymbol{x}_i^U)\right) - \frac{\pi}{n_P} \sum_{i=1}^{n_P} \ell\left(-1, f(\boldsymbol{x}_i^P)\right)$

When loss is non-negative:

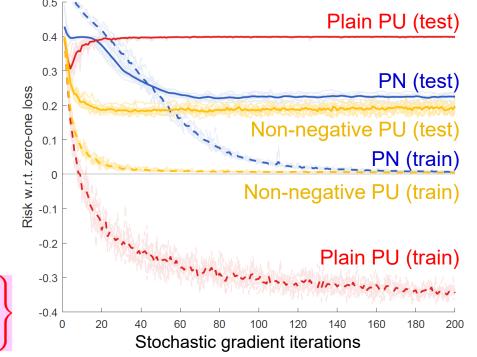
• True $R^{-}(f)$ is non-negative.

Risk for P data

 But empirical estimate can be negative!

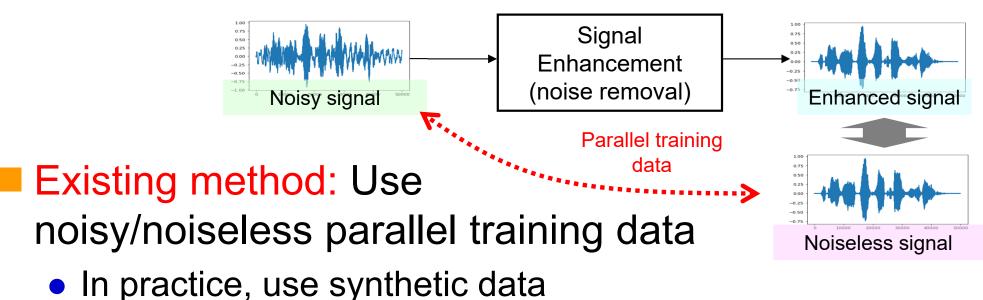
Non-negative correction:

$$\widetilde{R}_{\rm PU}(f) = \frac{\pi}{n_{\rm P}} \sum_{i=1}^{n_{\rm P}} \ell\Big(f(\boldsymbol{x}_i^{\rm P})\Big) + \max\left\{0, \ \widehat{R}_{\rm PU}^-(f)\right\}$$



Signal Enhancement by PU Classification 14

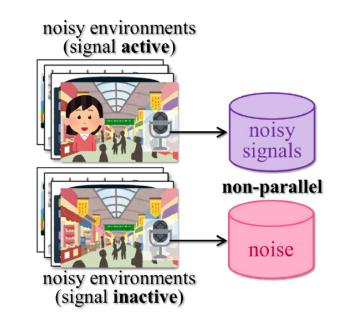
Ito & Sugiyama (ICASSP2023, Best Paper Award)



 \rightarrow Do not generalize well in reality.

Proposed method: Use non-parallel noisy signal and noise.

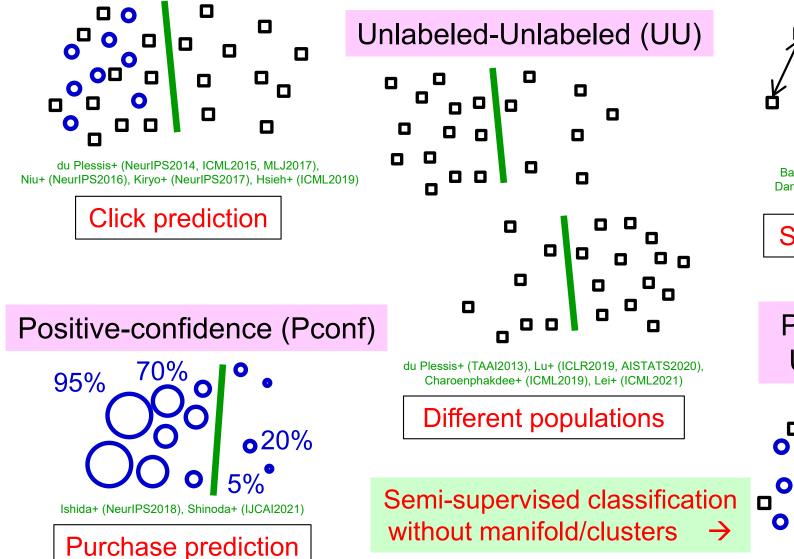
| | | Methods | SI-SNRi [dB] |
|--------------|----------|---|--------------|
| Non-parallel | ſ | Proposed | 14.62 (0.20) |
| | 1 | MixIT ^{Wisdom+} (NeurIPS2020) | 12.19 (4.50) |
| Parallel | | Supervised | 15.86 (1.28) |



Various Extensions (Binary)

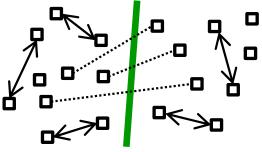
Similar unbiased risk estimation is possible!

Positive-Unlabeled (PU)



Similar-Dissimilar (SD)

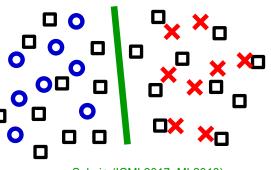
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Bao+ (ICML2018), Shimada+ (NeCo2021), Dan+ (ECMLPKDD2021), Cao+ (ICML2021), Feng+ (ICML2021)

Sensitive prediction

Positive-Negative-Unlabeled (PNU)



Sakai+ (ICML2017, ML2018)

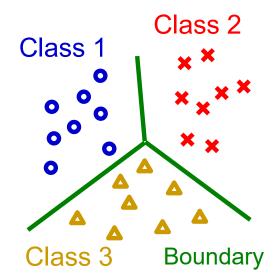
Various Extensions (Multiclass) ¹⁶

Ishida+ (NeurIPS2017,

Labeling patterns in multi-class problems is even more painful.

Multi-class weak-labels:

 Complementary label: ICML2019), Chou+ (ICML2020)
 Specifies a class that a pattern does not belong to ("not 1").



• Partial label: Specifies a subset of classes that contains the correct one ("1 or 2").

Feng+ (ICML2020, NeurIPS2020), Lv+ (ICML2020)

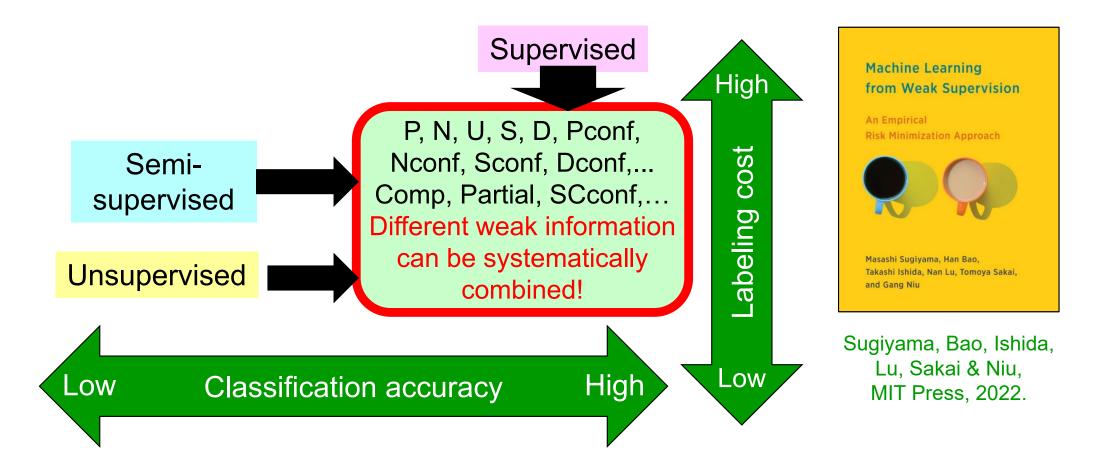
Single-class confidence: Cao+ (arXiv2021)
 One-class data with full confidence
 ("1 with 60%, 2 with 30%, and 3 with 10%")

Similar unbiased risk estimation is possible!

Summary: Weakly Supervised Learning ¹⁷

Empirical risk minimization framework for weakly supervised learning:

Any loss, classifier, and optimizer can be used.

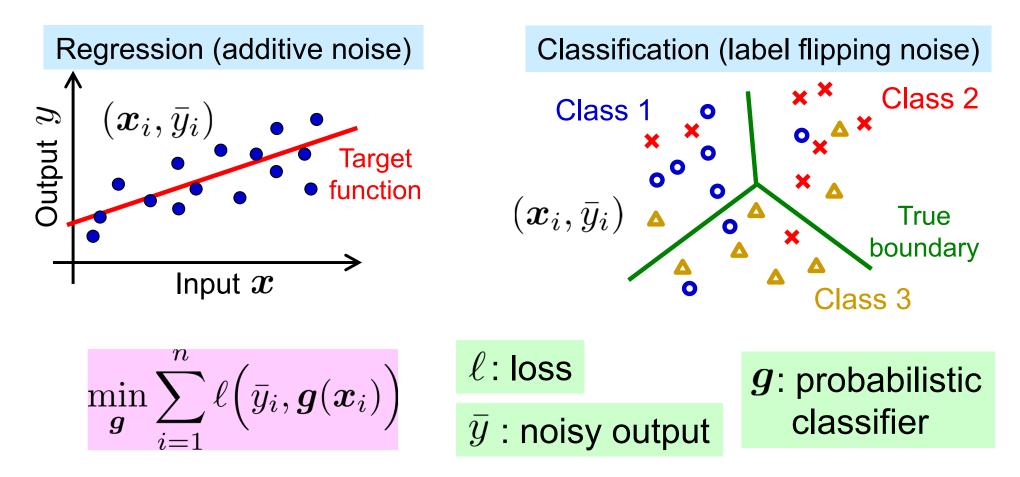




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 - A) Noise Transition
 - B) Algorithms
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Supervised Learning with Noisy Output ¹⁹



Hasn't such a classic problem been solved?

- Regression: Yes, noisy big data yield consistency.
- Classification: Specific noise reduction mechanism is needed to achieve consistency!

Classical Approaches

Unsupervised outlier removal:

• Substantially more difficult than classification.

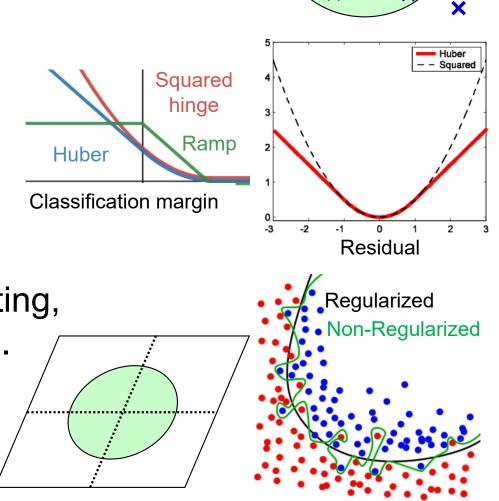
Robust loss:

• Works well for regression, but limited effectiveness for classification.

Regularization:

 Effective in suppressing overfitting, but too smooth for strong noise.

Need new approaches!



X

*l*₂-regularization

https://en.wikipedia.org/wiki/Overfitting

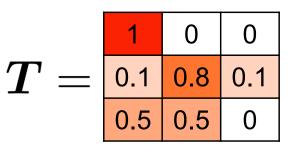
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X

Correction with Noise Transition ²¹

Noise transition matrix T:

• Clean-to-noisy flipping probability.



- Major approaches: Patrini+ (CVPR2017)
 - Classifier adjustment by $T^{^+}$ to simulate noise.
 - Loss correction by $oldsymbol{T}^{-1}$ to eliminate noise.
- We want to estimate T only from noisy data:
 - Use human cognition as a "mask" for T.
 - Reduce estimation error of T.
 - Learn T and classifier simultaneously.
 - Estimate T under weaker conditions.

Han+ (NeurIPS2018) Xia+ (NeurIPS2019) Yao+ (NeurIPS2020) Zhang+ (ICML2021)

Li+ (ICML2021)

Volume Minimization

Li+ (ICML2021)

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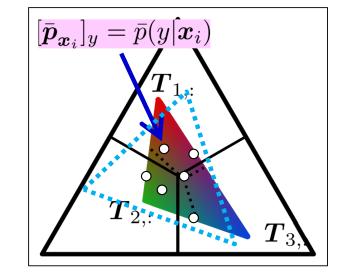
Noisy training data $\{(x_i, \bar{y}_i)\}_{i=1}^n$ can be mapped in the simplex formed by noise transition matrix T.

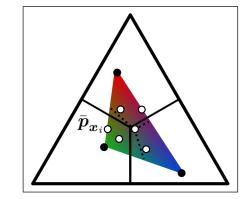
Minimizing the volume of the simplex can give a solution:

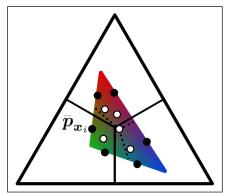
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$$\min_{\mathbf{T}',\mathbf{g}} \sum_{i=1}^{\ell} \ell(\bar{y}_i, \mathbf{T}'^{\top} \mathbf{g}(\mathbf{x}_i)) + \lambda \log \det(\mathbf{T}') \\ \lambda > 0$$

- With noiseless labels, we can find the true T.
- Even without noiseless labels, "sufficiently scattered" training data allow identification of the true T!

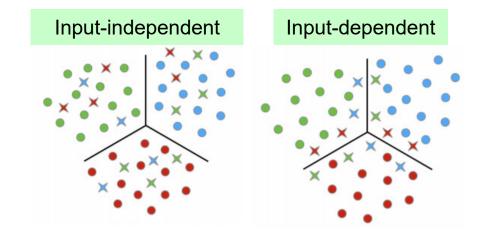






Beyond Input-Independent Noise ²³

- Real-world noise may be input-dependent:
 - E.g., noise level is high near the boundary.



- Modeling input-dependent noise: $T_{y, \bar{y}}(m{x}) = ar{p}(ar{y}|y, m{x})$
 - Extremely challenging to estimate the noise transition matrix function!

Exploring heuristic solutions:

- Parts-based estimation.
- Use of additional confidence scores.
- Manifold regularization.

Xia+ (NeurIPS2020) Berthon+ (ICML2021)

Cheng+ (CVPR2022)

Co-teaching

Memorization of neural nets:

- Stochastic gradient descent fits clean data faster.
- However, naïve early stopping does not work well.
- "Co-teaching" between two neural nets:
 - Teach small-loss data each other.

Han+ (NeurIPS2018)

• Teach only disagreed data.

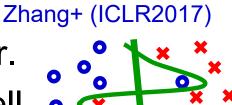
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Yu+ (ICML2019)
```

Gradient ascent for large-loss data.

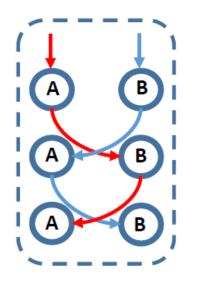
Han+ (ICML2020)

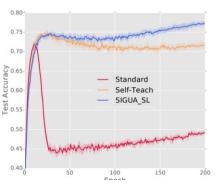
No theory but very robust in experiments:

Works well even if 50% random label flipping!



Arpit+ (ICML2017)





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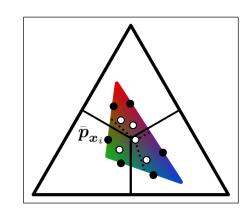
Summary: Noisy-Label Learning ²⁵

Explicit treatment of label noise is necessary:

- Loss correction by noise transition is promising.
- However, noise transition is generally non-identifiable:

 $oldsymbol{T}^{ op}oldsymbol{p} = oldsymbol{T}_2^{ op}(oldsymbol{T}_1^{ op}oldsymbol{p}) \qquad oldsymbol{T} = oldsymbol{T}_1oldsymbol{T}_2$

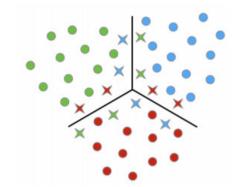
 $T_{y,\bar{y}} = \bar{p}(\bar{y}|y)$



 Recent development allows consistent estimation under mild assumptions.

Real-world noise is often input-dependent:

- Heuristic solutions have been developed.
- Further theoretical development is needed.





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Transfer Learning

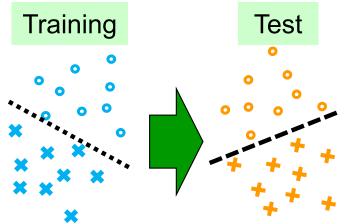
- Training and test data often follow different distributions, due to Tra
 - changing environments,
 - sample selection bias (privacy).

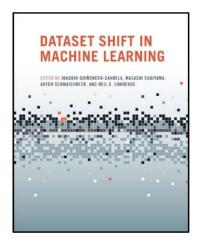
Transfer learning:

• Train a test-domain predictor using training data from different domains.



NIPS Workshop on Learning when Test and Training Inputs Have Different Distributions, Whistler 2006

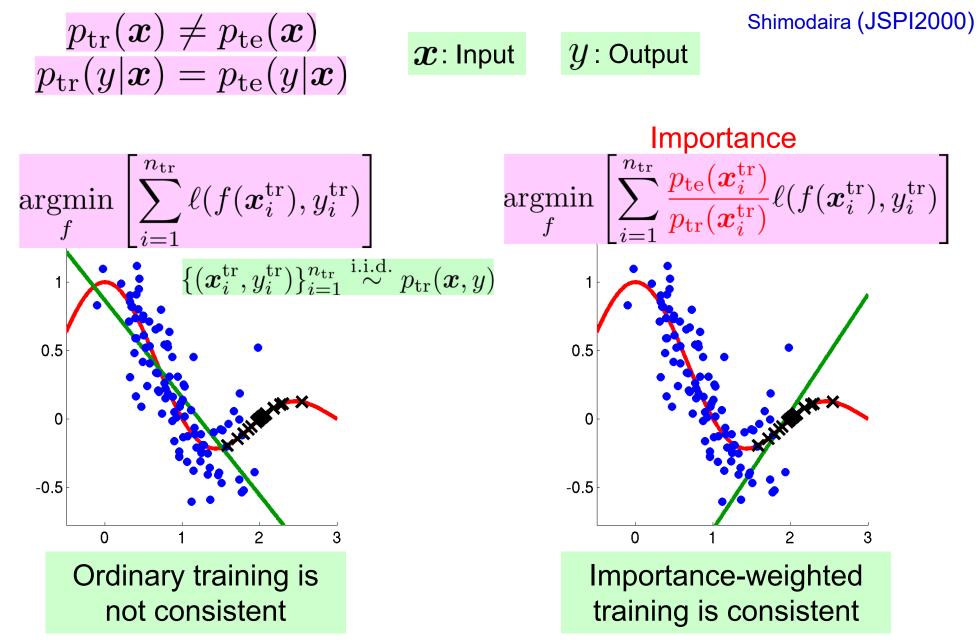




Quiñonero-Candela, Sugiyama, Schwaighofer & Lawrence (MIT Press 2009)

Basics: Importance-Weighted Training ²⁸

Covariate shift: Only input distributions change.



Direct Importance Estimation

Given: training and test input data

$$\{oldsymbol{x}_i^{ ext{tr}}\}_{i=1}^{n_{ ext{tr}}} \stackrel{ ext{i.i.d.}}{\sim} p_{ ext{tr}}(oldsymbol{x}) \qquad \{oldsymbol{x}_j^{ ext{te}}\}_{j=1}^{n_{ ext{te}}} \stackrel{ ext{i.i.d.}}{\sim} p_{ ext{te}}(oldsymbol{x})$$

Kernel mean matching: Huang+ (NeurIPS2006)

• Match the means of $\,r({m x})p_{
m tr}({m x})\,$ and $p_{
m te}({m x})$ in RKHS ${\cal H}$.

$$\min_{r \in \mathcal{H}} \left\| \int K(\boldsymbol{x}, \cdot) p_{\text{te}}(\boldsymbol{x}) d\boldsymbol{x} - \int K(\boldsymbol{x}, \cdot) r(\boldsymbol{x}) p_{\text{tr}}(\boldsymbol{x}) d\boldsymbol{x} \right\|_{\mathcal{H}}^{2} \qquad K(\boldsymbol{x}, \cdot) : \text{kernel}$$

• Fit a model
$$r(x)$$
 to $\frac{p_{te}(x)}{p_{tr}(x)}$ by least squares:

$$\begin{aligned} \underset{r}{\operatorname{argmin}} \left[\int \left(r(\boldsymbol{x}) - \frac{p_{\text{te}}(\boldsymbol{x})}{p_{\text{tr}}(\boldsymbol{x})} \right)^2 p_{\text{tr}}(\boldsymbol{x}) \mathrm{d}\boldsymbol{x} \right] \\ = \underset{r}{\operatorname{argmin}} \left[\int r(\boldsymbol{x})^2 p_{\text{tr}}(\boldsymbol{x}) \mathrm{d}\boldsymbol{x} - 2 \int r(\boldsymbol{x}) p_{\text{te}}(\boldsymbol{x}) \mathrm{d}\boldsymbol{x} \right] \end{aligned}$$

They do not estimate $p_{tr}(x), p_{te}(x)$, but $\frac{p_{te}(x)}{p_{tr}(x)}$ directly!

Classical Two-Step Adaptation ³⁰

Importance weight estimation (e.g., least-squares importance fitting): Kanamori+ (JMLR2009)

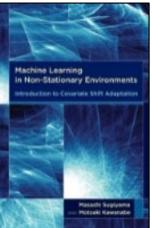
$$\widehat{w} = \underset{w}{\operatorname{argmin}} \widehat{\mathbb{E}}_{p_{\operatorname{tr}}(\boldsymbol{x})} \left[\left(w(\boldsymbol{x}) - \frac{p_{\operatorname{te}}(\boldsymbol{x})}{p_{\operatorname{tr}}(\boldsymbol{x})} \right)^2 \right]$$

2. Weighted predictor training:

$$\widehat{f} = \operatorname*{argmin}_{f} \widehat{\mathbb{E}}_{p_{\mathrm{tr}}(\boldsymbol{x}, y)} [\widehat{\boldsymbol{w}}(\boldsymbol{x}) \ell(f(\boldsymbol{x}), y)]$$

- However, estimation error in Step 1 is not taken into account in Step 2.
- We want to integrate these two steps!





Joint Weight-Predictor Optimization ³¹

Zhang+ (ACML2020, SNCS2021)

Given: Labeled training data and unlabeled test data

$$\{(\boldsymbol{x}_i^{\mathrm{tr}}, y_i^{\mathrm{tr}})\}_{i=1}^{n_{\mathrm{tr}}} \stackrel{\mathrm{i.i.d.}}{\sim} p_{\mathrm{tr}}(\boldsymbol{x}, y) \qquad \{\boldsymbol{x}_j^{\mathrm{te}}\}_{j=1}^{n_{\mathrm{te}}} \stackrel{\mathrm{i.i.d.}}{\sim} p_{\mathrm{te}}(\boldsymbol{x})$$

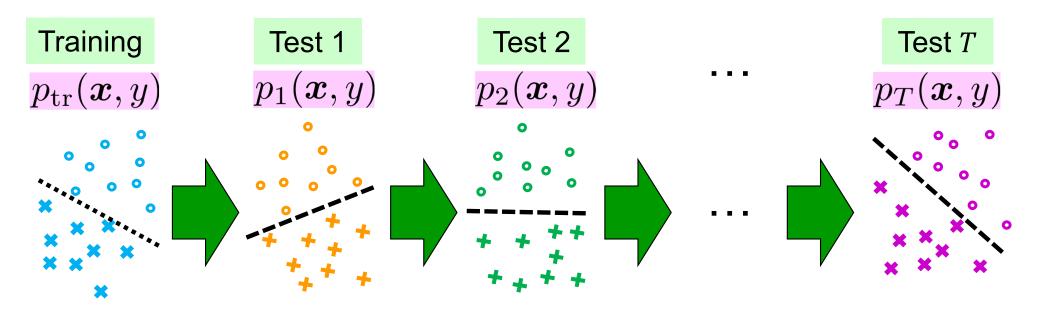
Joint minimization of a risk upper bound:

$$\min_{w \ge 0, f \in \mathcal{F}} J_{\ell'}(w, f) \quad \frac{\frac{1}{2}R_{\ell}(f)^2 \le J_{\ell'}(w, f)}{R_{\ell}(f) = \mathbb{E}_{p_{\text{te}}(\boldsymbol{x}, y)}[\ell(f(\boldsymbol{x}), y)]} \quad \ell \le 1, \ell' \ge \ell$$

$$\begin{split} J_{\ell'}(w,f) &= \mathbb{E}_{p_{\mathrm{tr}}(\boldsymbol{x})} \left[\left(w(\boldsymbol{x}) - \frac{p_{\mathrm{te}}(\boldsymbol{x})}{p_{\mathrm{tr}}(\boldsymbol{x})} \right)^2 \right] & \leftarrow 1^{\mathrm{st}} \operatorname{step} \\ &+ (\mathbb{E}_{p_{\mathrm{tr}}(\boldsymbol{x},y)}[w(\boldsymbol{x})\ell'(f(\boldsymbol{x}),y)])^2 \leftarrow 2^{\mathrm{nd}} \operatorname{step} \end{split}$$

Classic approach corresponds to 2-step minimization.

Extensions to Continuous Shifts ³²



Continuous label shift: Bai+ (NeurIPS2022)

• Only class-prior $p_t(y)$ changes.

Continuous covariate shift: Zhang+ (arXiv2023)

- Only input density $p_t(\boldsymbol{x})$ changes.
- Without knowing the shift intensity, our methods achieve the same dynamic regret as the case with known shift intensity. $\mathbb{E}\left[\sum_{t=1}^{T} R_t(f_t) - \sum_{t=1}^{T} n_t f_t\right]$



Contents

- 1. Weakly Supervised Learning
- 2. Noisy-Label Learning
- 3. Transfer Learning
- 4. Towards More Reliable Learning

Joint Shift

Many distribution shift works focus on a particular shift type (e.g., covariate shift): $p_{tr}(x) \neq p_{te}(x)$ $p_{tr}(y|x) = p_{te}(y|x)$

• However, identification of the shift type is challenging.

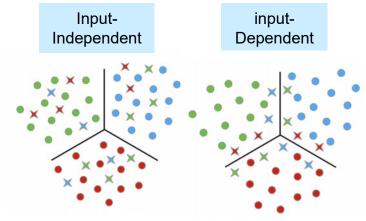
Label noise is also a type of distribution shift:

$$p_{\rm tr}(\bar{y}|\boldsymbol{x}) = \sum_{y} p(\bar{y}|y, \boldsymbol{x}) p_{\rm te}(y|\boldsymbol{x})$$
Noise transition

 $\overline{\mathcal{Y}}$: Noisy class label

- Nice theory for input-independent noise.
- But input-dependent noise is hard.
- Let's consider joint shift:

 $p_{\mathrm{tr}}(\boldsymbol{x},y) \neq p_{\mathrm{te}}(\boldsymbol{x},y)$



Mini-Batch-Wise Loss Matching ³⁵

Given:

- (Large) labeled training data:
- (Small) labeled test data:

 $r_i pprox rac{p_{ ext{te}}(ilde{m{x}}_i^{ ext{tr}}, ilde{y}_i^{ ext{tr}})}{p_{ ext{tr}}(ilde{m{x}}_i^{ ext{tr}}, ilde{y}_i^{ ext{tr}})}$

$$\{ (\boldsymbol{x}_{i}^{\text{tr}}, y_{i}^{\text{tr}}) \}_{i=1}^{n_{\text{tr}}} \stackrel{\text{i.i.d.}}{\sim} p_{\text{tr}}(\boldsymbol{x}, y) \\ \{ (\boldsymbol{x}_{j}^{\text{te}}, y_{j}^{\text{te}}) \}_{j=1}^{n_{\text{te}}} \stackrel{\text{i.i.d.}}{\sim} p_{\text{te}}(\boldsymbol{x}, y)$$

We try to learn the importance weight dynamically in the mini-batch-wise manner.

$$f \leftarrow f - \eta \nabla \widehat{R}(f)$$
 $\eta > 0$: step size

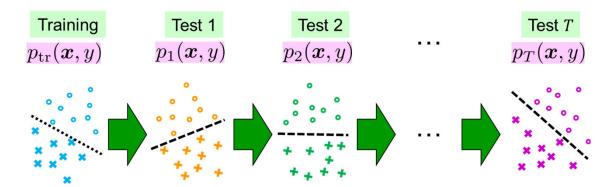
For each mini-batch $\{(\tilde{x}_i^{tr}, \tilde{y}_i^{tr})\}_{i=1}^{\tilde{n}_{tr}}, \{(\tilde{x}_j^{te}, \tilde{y}_j^{te})\}_{j=1}^{\tilde{n}_{te}}, importance weights are estimated by kernel mean matching for loss values: Huang+ (NeurIPS2006)$

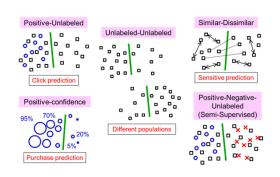
$$\frac{1}{\tilde{n}_{\mathrm{tr}}} \sum_{i=1}^{\tilde{n}_{\mathrm{tr}}} \boldsymbol{r_i} \ell(f(\tilde{\boldsymbol{x}}_i^{\mathrm{tr}}), \tilde{y}_i^{\mathrm{tr}}) \approx \frac{1}{\tilde{n}_{\mathrm{te}}} \sum_{j=1}^{\tilde{n}_{\mathrm{te}}} \ell(f(\tilde{\boldsymbol{x}}_j^{\mathrm{te}}), \tilde{y}_j^{\mathrm{te}})$$

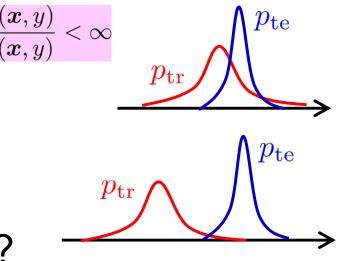
Current Challenges

- For joint shift adaptation, requiring labeled test data is too strong.
 - Can we use weakly supervised learning?
 - Importance weighting requires the test domain to be included in the training domain.
 - Can we properly handle out-of-training-domain test data?

Can we handle continuous joint shift?







Weakly Supervised Classification (Binary)





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